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Harry Potter's broom is broken, so he needs to take it to Dervish and Banges for repairs. Because his broom is broken, Harry must walk between the buildings and he makes some stops on the way. The town is laid out in square blocks, which makes it easy to give directions.
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1. The table shows the directions Harry follows on Monday to get to Dervish and Banges.

Use the graph to draw Harry's trip. Put Hogwarts at the origin. Label each stop.

| Monday - start at Hogwarts |  |  |
| :---: | :---: | :---: |
|  | $\underline{\mathbf{N} / \mathbf{S}}$ | $\underline{\mathbf{E} / \mathbf{W}}$ |
| Stop 1 | 5 blocks North | 3 blocks East |
| Stop 2 | 2 blocks North | 5 blocks East |
| Stop 3 | 1 block North | 2 blocks East |
| total \# of <br> blocks | __ blocks North | $-\quad$ blocks East |
| return to <br> Hogwarts | blocks South | $\ldots$ |


2. Fill in the blank parts of the table to give Harry directions to get back to Hogwarts. (Make your directions simple, so Harry must make only one turn.)

Harry's trusted owl, Hedwig, can fly over buildings, so she travels in a straight line from Hogwarts to Dervish and Banges and waits for Harry to arrive.
3. On your graph paper from \#1, use a different color to draw an arrow representing Hedwig's direct path from Hogwarts to Dervish and Banges.

In mathematics, we use a directed line segment, or vector, to indicate a magnitude (length or distance) and a direction. Each part of Hedwig's trip has a distance and a direction, so the arrows you just drew for Hedwig's path are vectors.
4. To get from Hogwarts to Dervish and Banges, how far did Hedwig fly?
(Hint: Use Pythagorean Theorem.)
5. There are several ways to describe Hedwig's direction during this leg of the trip. We could simply say Hedwig traveled "northeast," but this would not be a very accurate description. Why not?
6. Using inverse trig, we can find Hedwig's direction ( $\theta$ in degrees) going from Hogwarts to Dervish and Banges on Monday.

$$
\begin{aligned}
& \tan \theta=\frac{8}{10} \\
& \theta=\tan ^{-1}\left(\frac{8}{10}\right) \\
& \theta=
\end{aligned}
$$

